

## 08.01 Chi-squared Test for Goodness of Fit

when testing multiple proportions

hypothesis tests can be performed on one proportion

to gain evidence about the population

the  $H_0$  &  $H_a$  are always the same w/a

Goodness of fit test

$$\chi^2 = \sum \frac{(O - E)^2}{E}$$

test statistic

observed count

expected count

"Chi-squared"

$$df = (\# \text{ of categories}) - 1$$

$$p\text{-value} = \chi^2 \text{cdf}(\chi^2, 9999, df)$$

not normal distribution,  
chi-squared distribution

Conditions:

- if all counts are greater than 5

$H_0$ : observed = expected

$H_a$ : observed  $\neq$  expected

properties:

- not negative

- skewed to the right

- always 1-tail

-  $df = n - 1$

## 08.02 Goodness of Fit & Calculator

$$E = \frac{(\text{row total})(\text{column total})}{\text{total \# surveyed}}$$

if  $\alpha > p\text{-value}$ , reject  $H_0$

## 08.03 Review

## 08.04 Review

## 08.05 Inference for Regression: Estimating Slope conditions:

- for any  $x$  value,  $y$  varies according to normal distribution & is independent
- mean response of  $y$  has a straight line relationship with  $x$
- the stdev of  $y$  is the same for all values of  $x$  and is unknown

### Confidence interval for slope:

- critical value is based on a  $t$  score w/  $n-2$  degrees of freedom
- find margin of error

Sample statistic  $\pm$  margin of error

$\uparrow$  "Sample coefficient"

$\uparrow$  critical value  $\times$

Standard error

## 08.06 Regression and Testing Slope

determines whether or not there is a significant linear relationship between  $x$  &  $y$

- Conditions
- $y$  has a linear relationship to  $x$
  - for each  $x$ , the probability distribution of  $y$  has the same stdev
  - $y$  is independent & roughly normally distributed ( $\uparrow n$ )

if there is a significant linear relationship between  $x$  &  $y$  - the slope will not = 0

$$H_0: \beta_1 = 0$$

$$H_a: \beta_1 \neq 0$$

use  $t$  test to see whether the slope of the regression differs significantly from 0

$$df = n - 2$$

$$t = \frac{b_1}{SE}$$

$$p\text{-value} = t\text{cdf}$$